



Exercise: Thévenin, Resistors, Capacitors

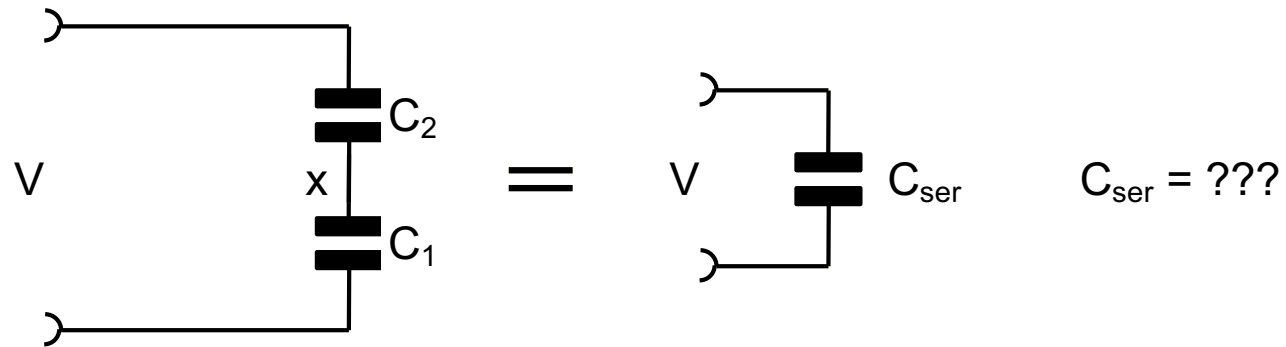
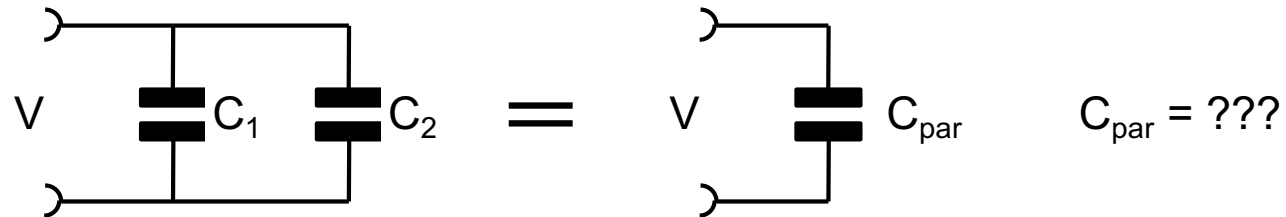
Prof. Dr. P. Fischer

Lehrstuhl für Schaltungstechnik und Simulation
Uni Heidelberg



Exercise 1

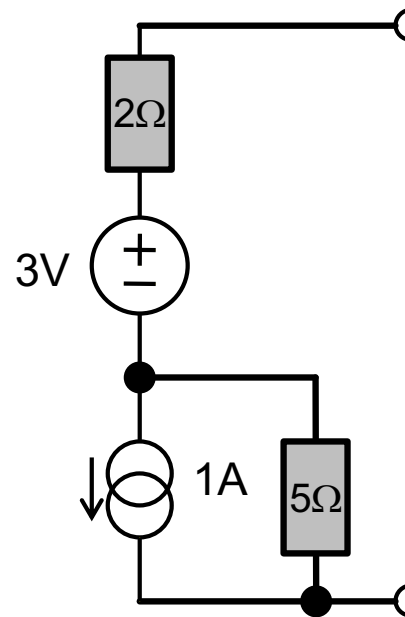
- Derive the expressions for the series and parallel connection of capacitors
- Use charge conservation (at node x)





Exercise 2

- Derive the Thévenin Equivalent for the following circuit:

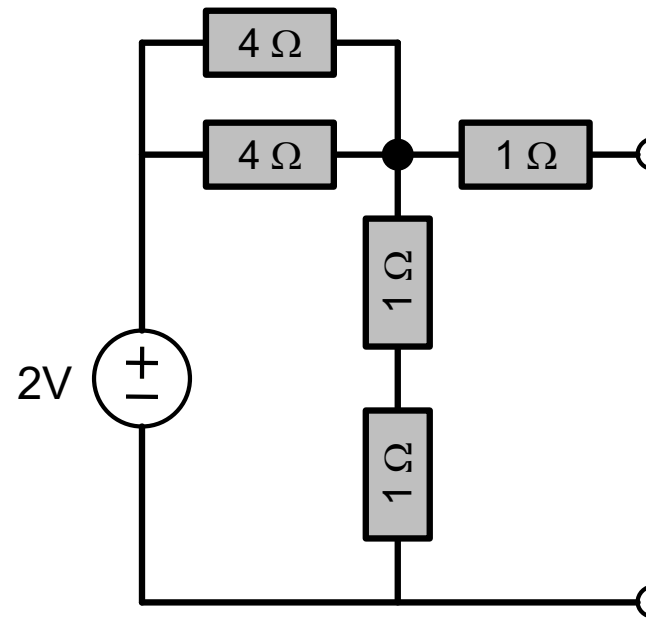


- Try two different methods:
 - Use the Open/Short method with Kirchhoff's rules
 - Convert the I-source part to a voltage source first...



Exercise 3

- What is the Thévenin Equivalent of the following circuit?

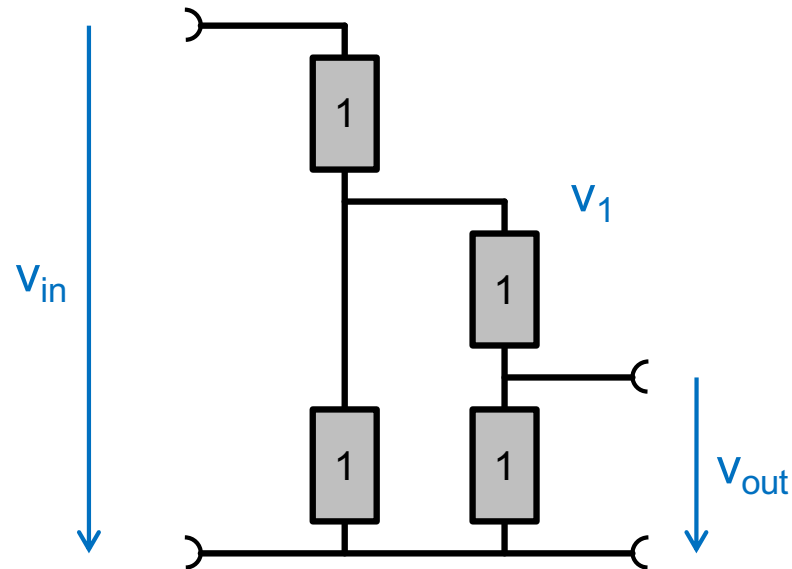


- Use two methods to find the result:
 - parallel / series connection of resistors and your knowledge about the voltage divider
 - short/open method



Exercise 4

- What is the 'gain' (attenuation) of the following voltage divider (all resistors have 1 Ohm):

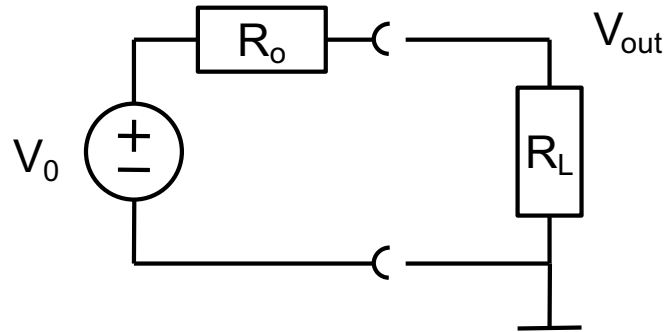


- Try two different methods:
 - Your knowledge of parallel / serial connection of resistors
 - Kirchhoff's law



Exercise 5

- A voltage source with voltage V_0 and output resistance R_0 is loaded by a resistor R_L :

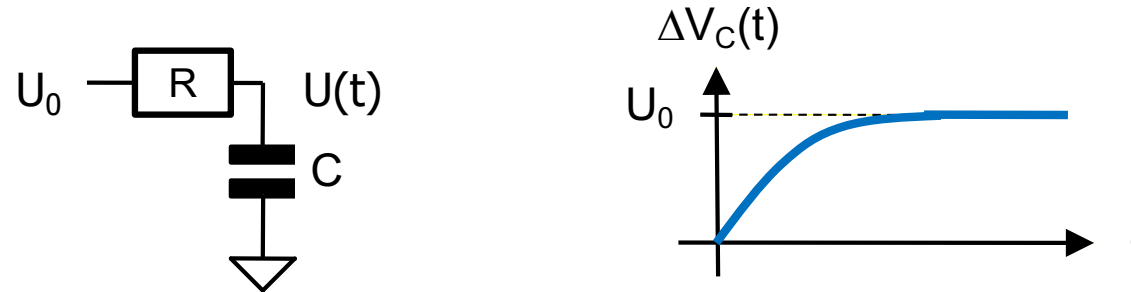


- What is the output voltage V_{out} ?
- Which current flows in R_L ?
- What power ($P = U I$) is dissipated in R_L ?
 - Check that nothing is dissipated for $R_L=0$ and $R_L \rightarrow \infty$
- For which value of R_L is the dissipation maximized?
 - What is the dissipation?



Exercise 6

- We consider charging of a capacitor C through a resistor R to a voltage U_0 .



- Show that $U(t) = U_0 - U_0 e^{-\frac{t}{RC}}$ satisfies the differential equation
- Simplify $U(t)$ for small times $t \ll RC$.
- What is the initial slope ?
- Derive this slope directly (assuming $U(0) = 0$).